An Introduction to system dynamics

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Historical background

The , system dynamics was developed by professor (Jay Wright Forrester) of the Massachusetts institute of technology in 1950s

His effort was oriented towards tackling the concern about unmanageable complexities in real systems through the application of the *control system theory* on them At first the approach was termed *Industrial Dynamics* in which the dynamics of industrial system is modeled

The foundations of Industrial Dynamics are:

> The information feedback control theory

> The modeling of fundamental decision-making processes

> The experimental approach to system analyses

> The use of digital computer simulation

Next: the theory was generalize into the (Principles of Systems)

The concept of rates and levels where introduces for first time

In the next step: an urban system was introduced

This model shows the growth and decay of the urban system It encompasses the general characteristics of complex systems

Then: the methodology was applied on global scale by the model **WORLD 1** and its revised version **WORLD 2**

Formulated as the bases for "Project on the Predicament of Mankind"

The first system dynamics model of the world's socioeconomic system

System Dynamics Approach

System dynamics is an approach to understanding the dynamic behavior of complex systems over time

> It deals with structures of social systems

It also represents this system structure in form of <u>diagrams</u> and <u>mathematical equations</u>

It deals with almost any complex system that changes over time

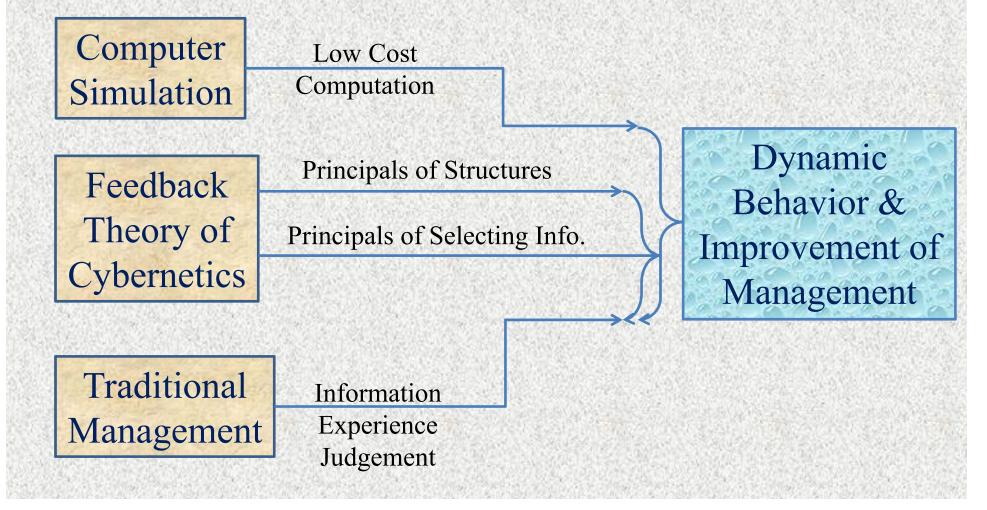
Background Threads

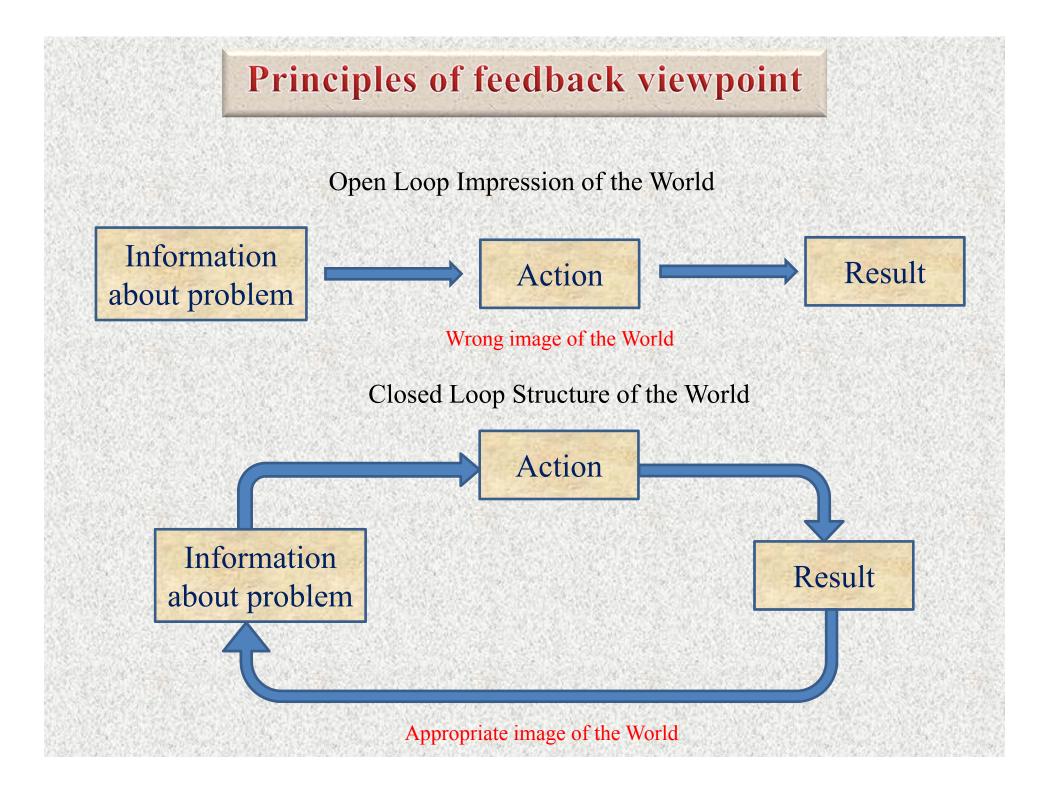
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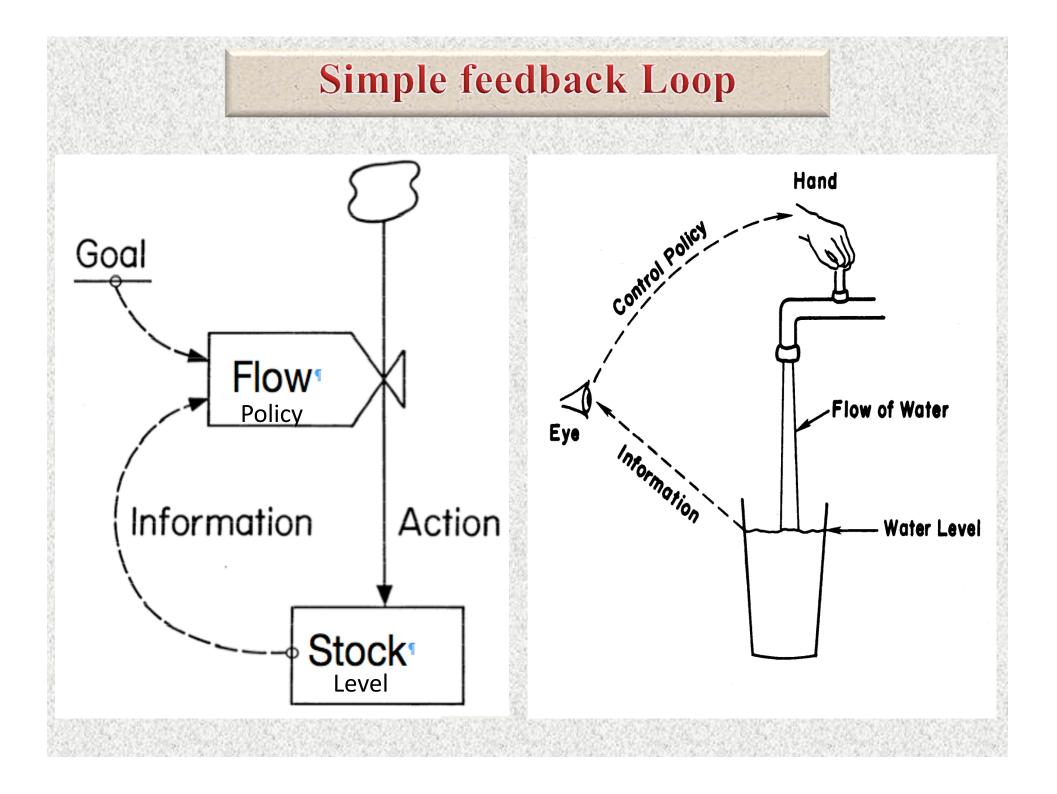
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Combine the strengths of the ability of computer models in process information

Avoid the weakness of mind inability to manipulate huge amount of information







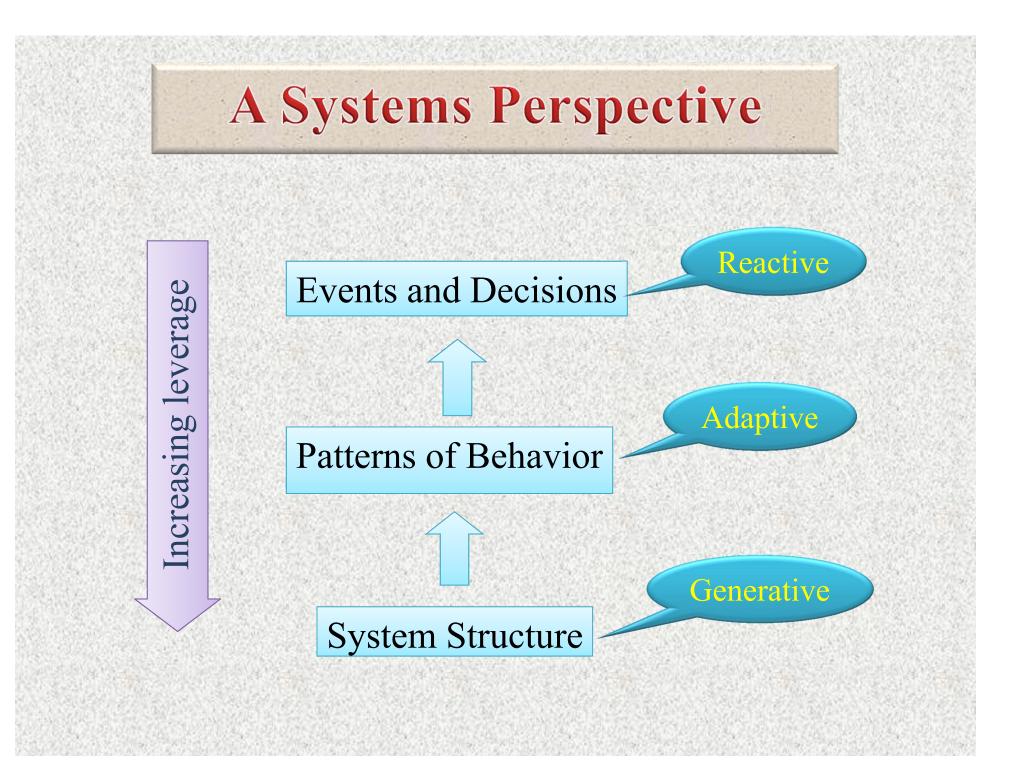
Central Concept of System Dynamics

Capturing feedback processes

Seeing the structures that underlie complex systems

providing insight to the dynamic interactions

System Dynamics provide the capability of recognizing patterns and interrelationships that can be managed in more effective and efficient ways



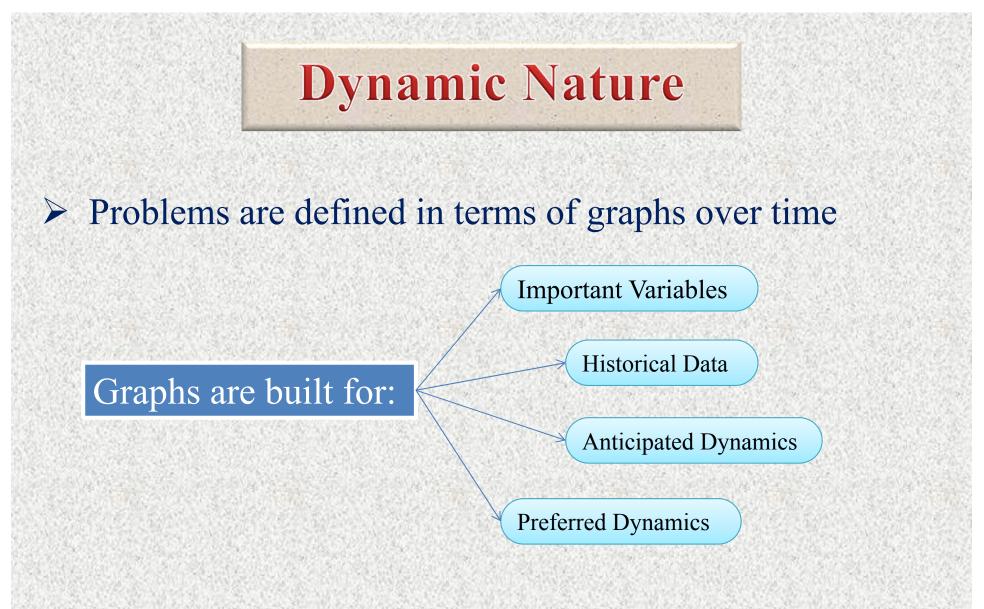


Relate discrete events to patterns of behavior

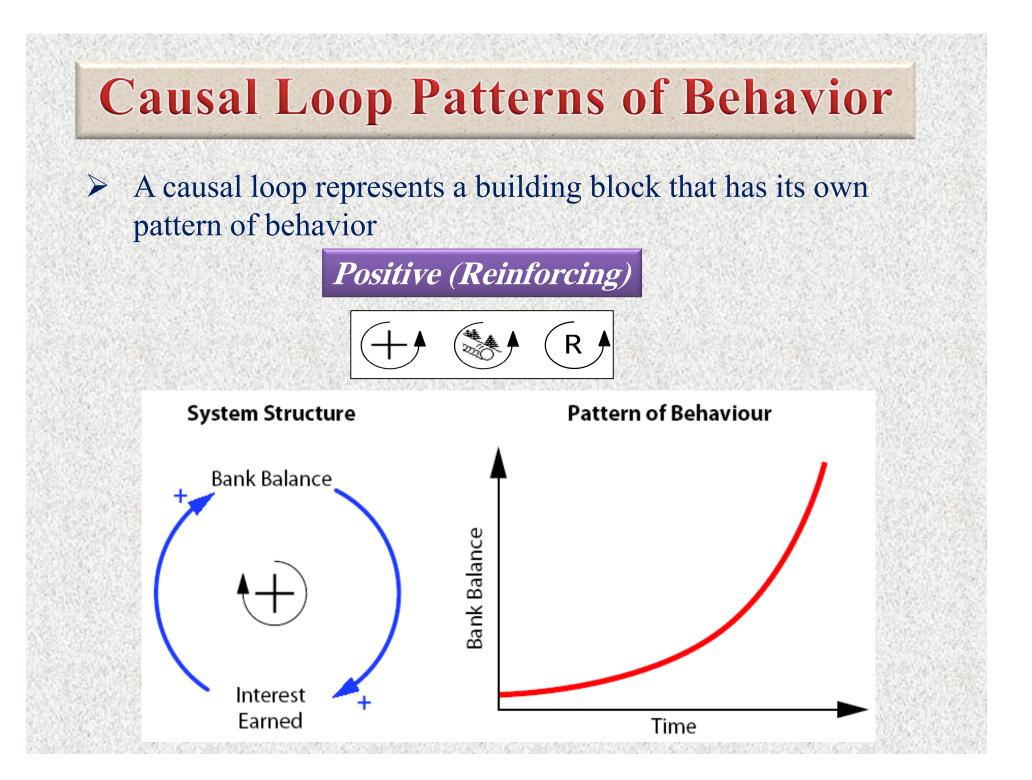
Focusing on policy structure rather than individual decisions

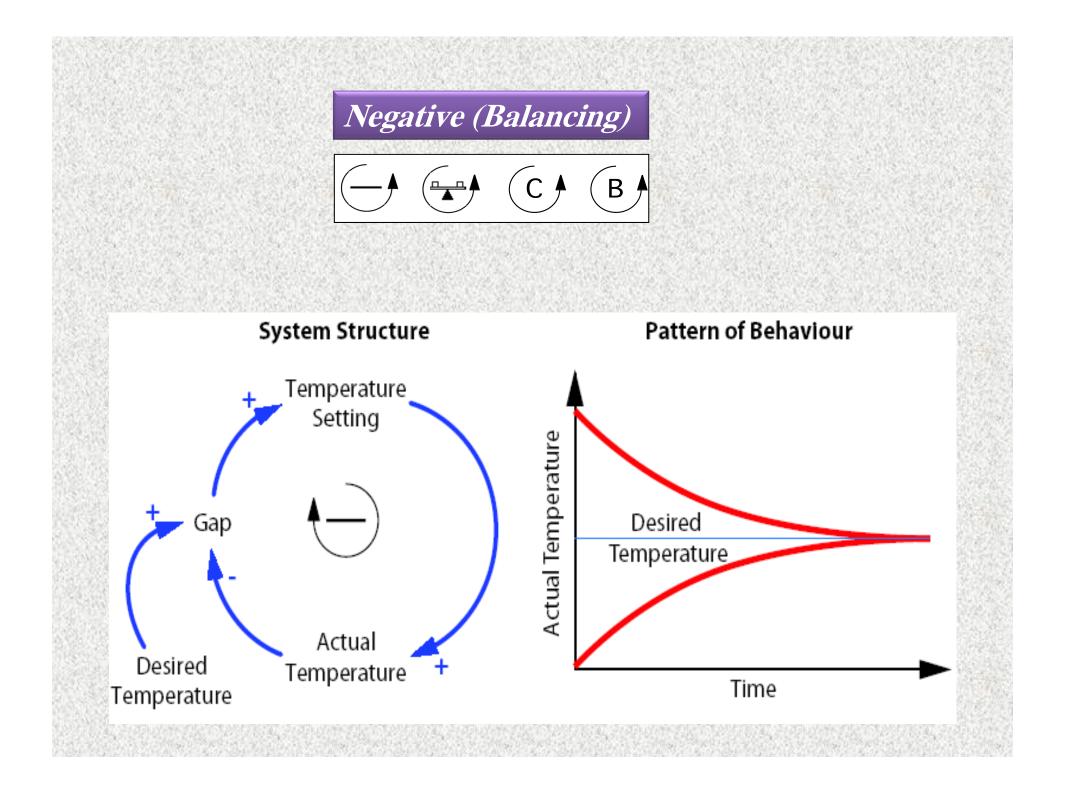
Four Key Patterns of Thought

- Dynamic Thinking (graphs over time)
- Causal Thinking (feedback loops)
- Stock-and-Flow Thinking (accumulation)
- > Thinking endogenously (system as cause)

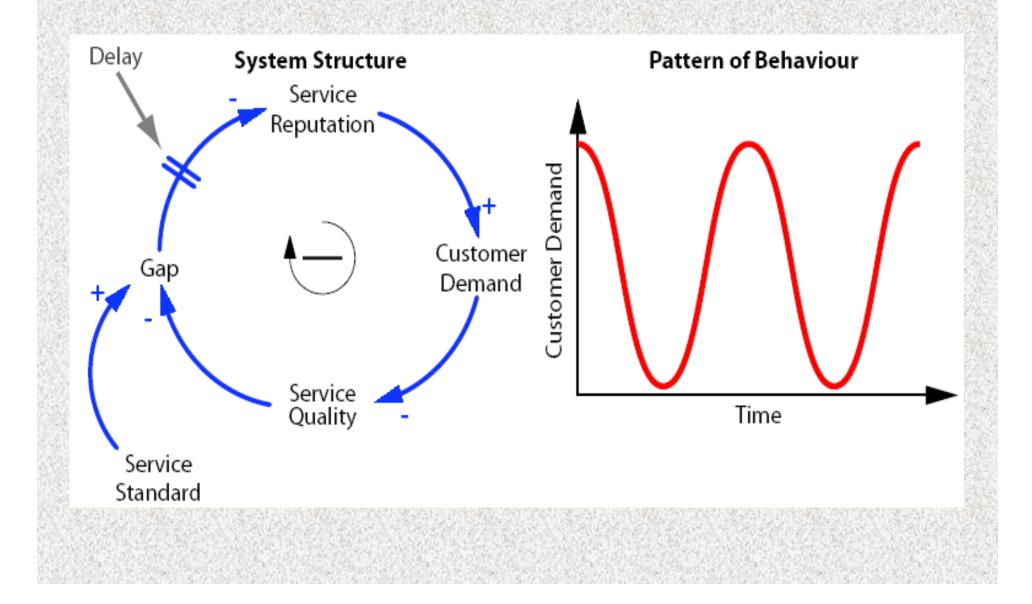


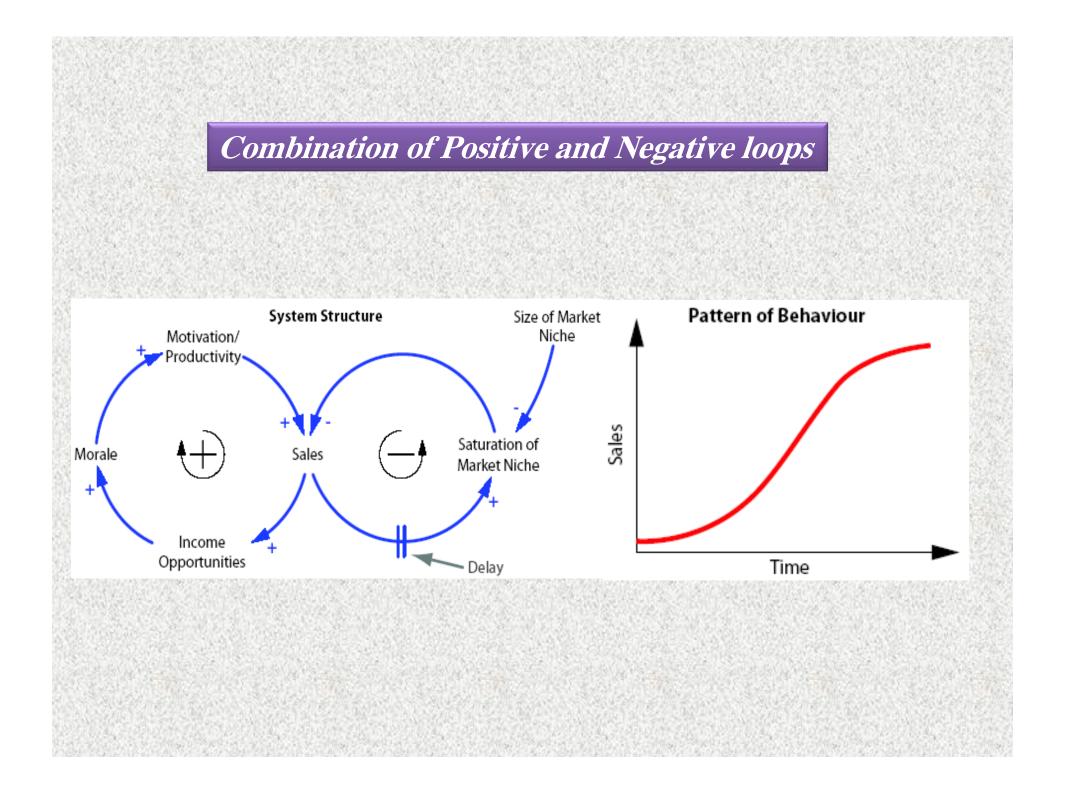
These graphs are used to focus systems thinking and modeling

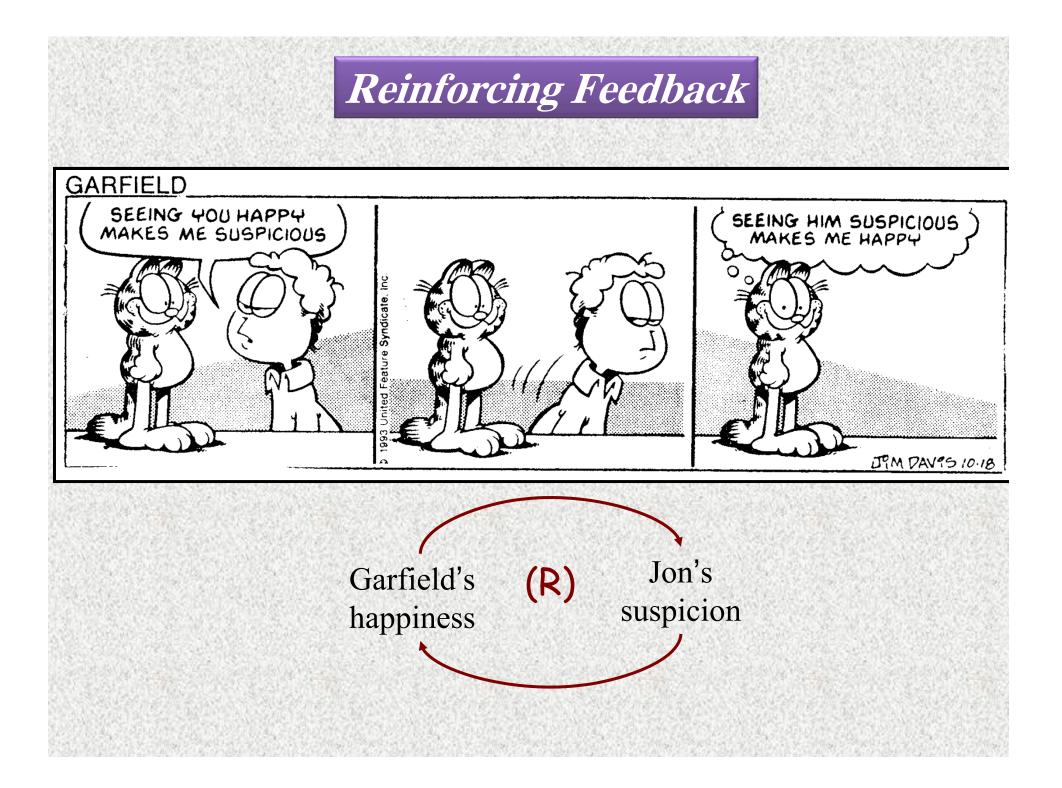


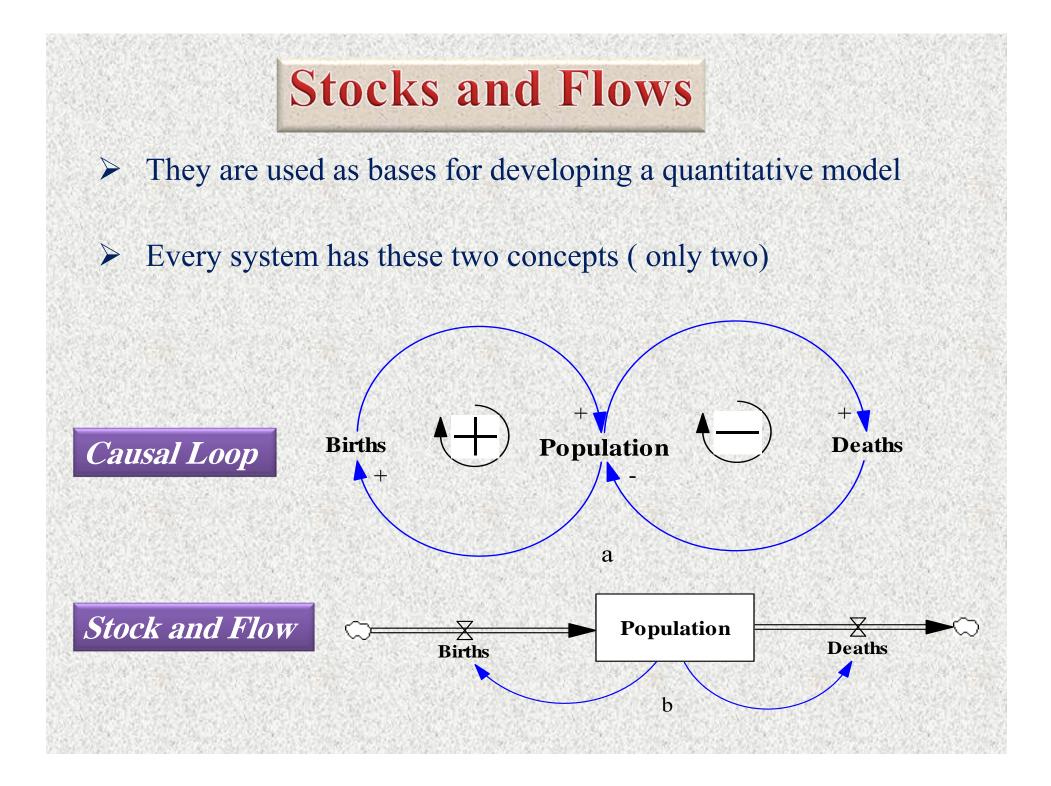


Negative with Delay









Stock, (Level) or (Accumulation)

 a state variable that changes over time by accumulating or integrating rates (flows)

used to represent the real-world processes such as stocks of material, knowledge, people, or money. . . . etc.

$$S_t = \int_o^T (F_i - F_o) dt$$

 S_t = value of stock at time t. F_i = the sum of the inflow rates. F_o = the sum of the outflow rates. t = time.

Flow, (Rate)

- Provides the basic representation of the change in stock values
- Resembles the movement from one stock to another
- > It is a directional variable that has a start and ending

$$F_t = \frac{d}{d_t} S_t$$

St = value of stock at time t. Ft = the flow rate at time t.t = time.

Stock and Flow Comparison

o Stock (Level)

- Tangible or intangible
- Measured in "units"
- Accumulation (Integral)
 - Add inputs
 - Subtract outputs
- Sometimes considered stationary in a period of time
- Examples: Bank account, inventory, tank, knowledge.

o Flow (Rate)

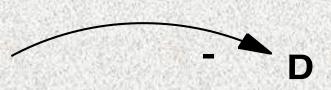
- Tangible or intangible
- Measured in "units/time"
- Rate of change (Derivative)
 - Difficult do determine instantaneous
- Sometimes considered in motion
- Examples: interest, water flow, births, deaths.

Information Link

- Usually represented by a curved arrow
- Means that the value of the originating variable influences the value of the destination variable



An increase in A makes B *higher* than it would have been without the change.



An increase in C makes D *lower* than it would have been without the change.

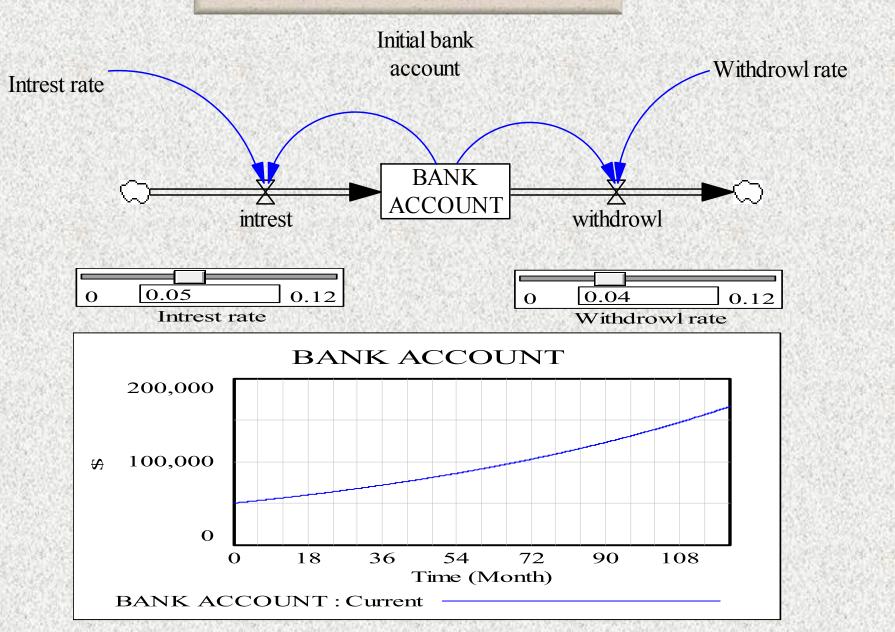


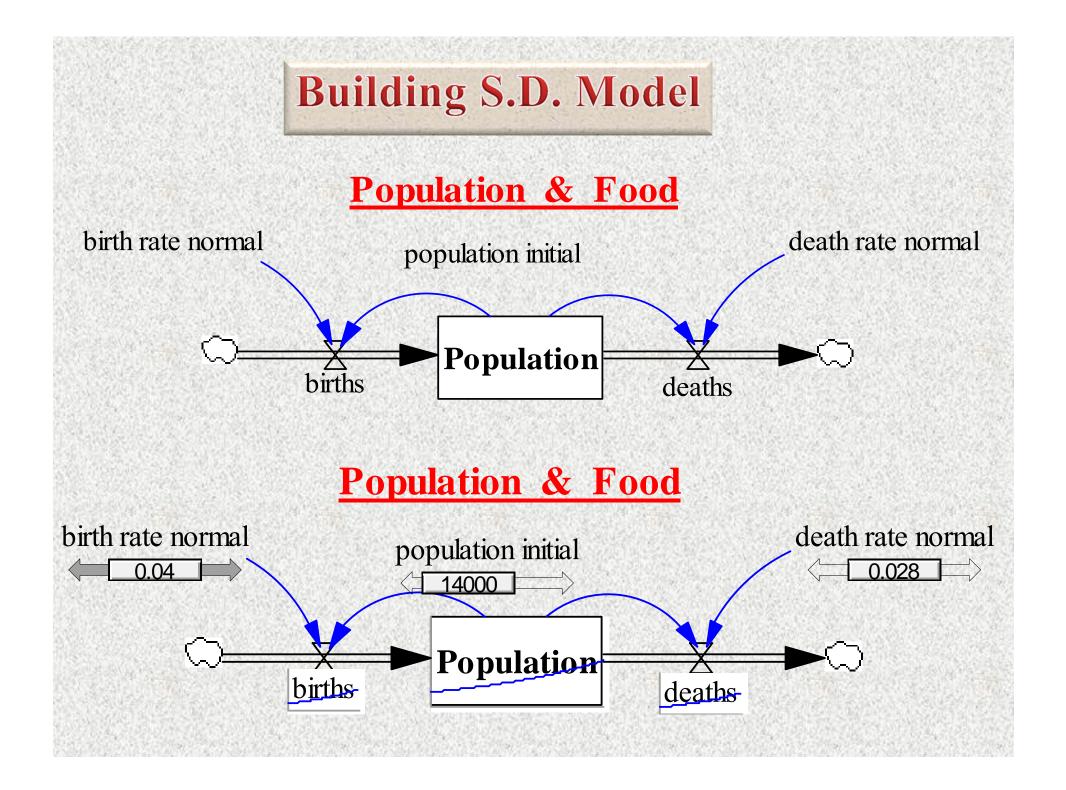
An additional variable usually introduced to clarify the structure and process of the model

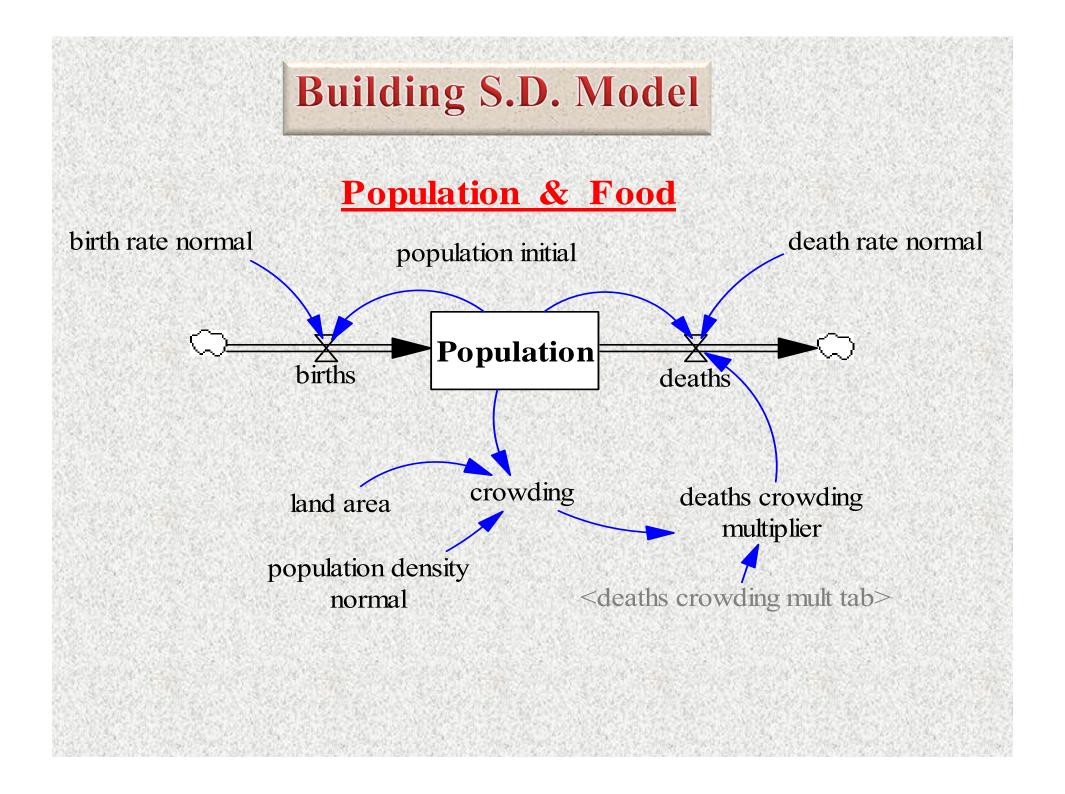
Any dynamic variable that is computed from other variables at a given time

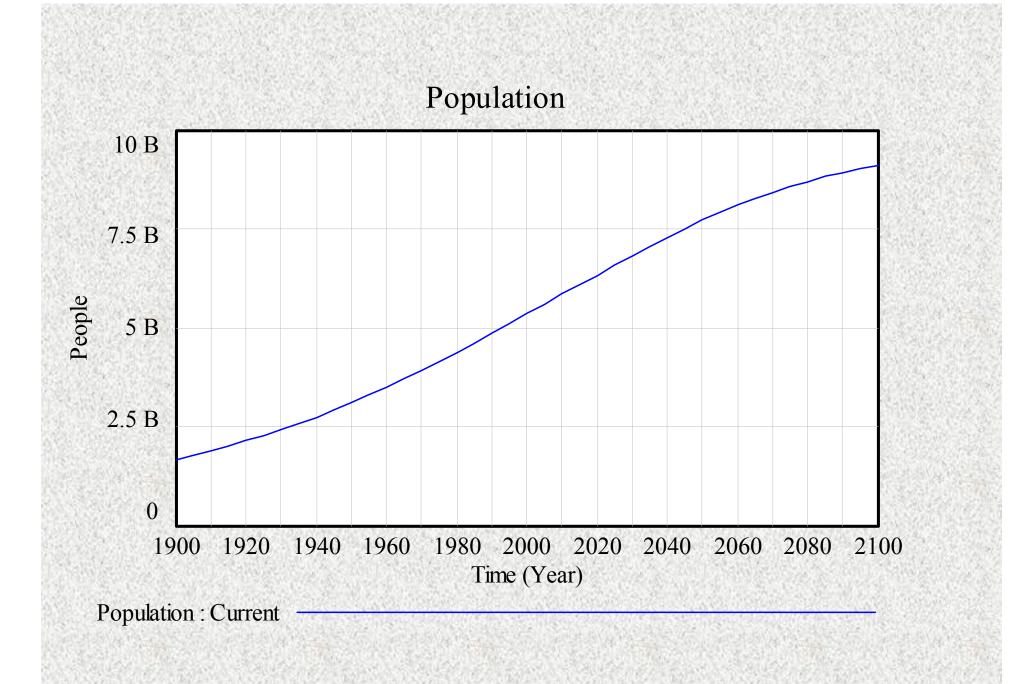
Often presented as intermediate concepts or calculations utilized to determine the values of flows

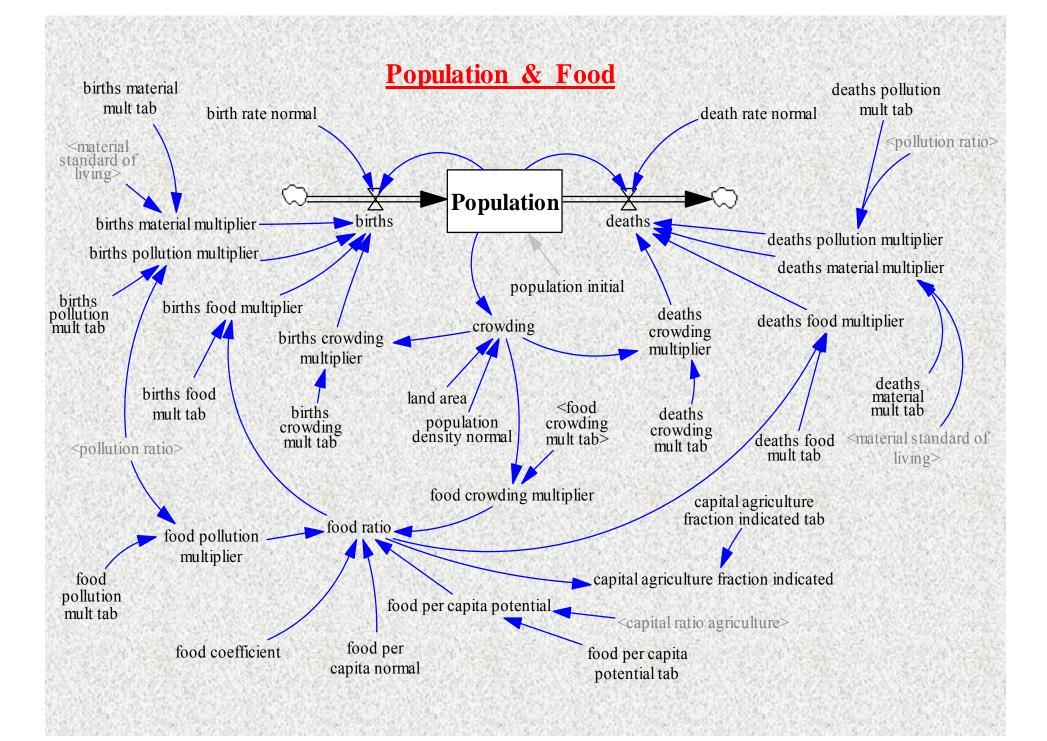
Building S.D. Model



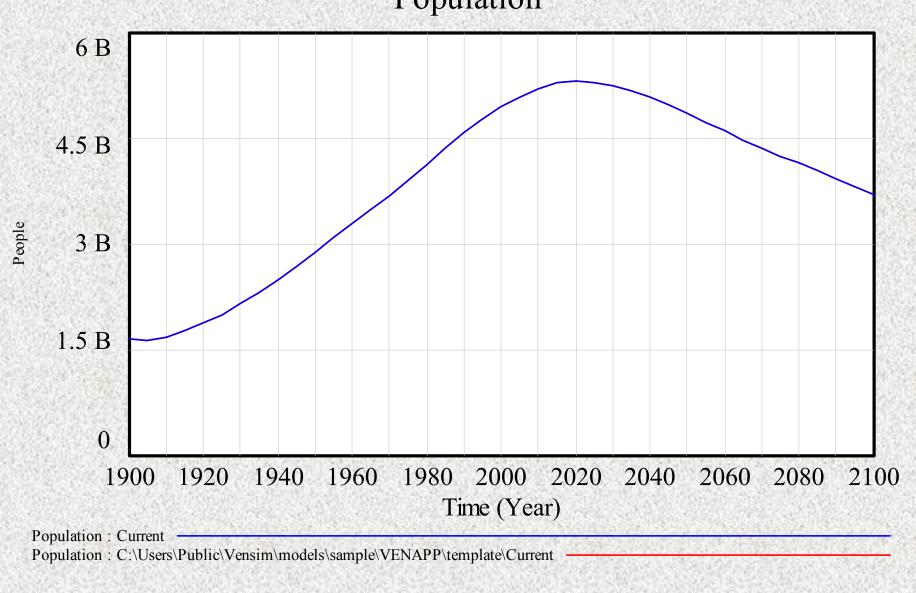








Population



THANK YOU FOR LISTINING